

Games ENG II

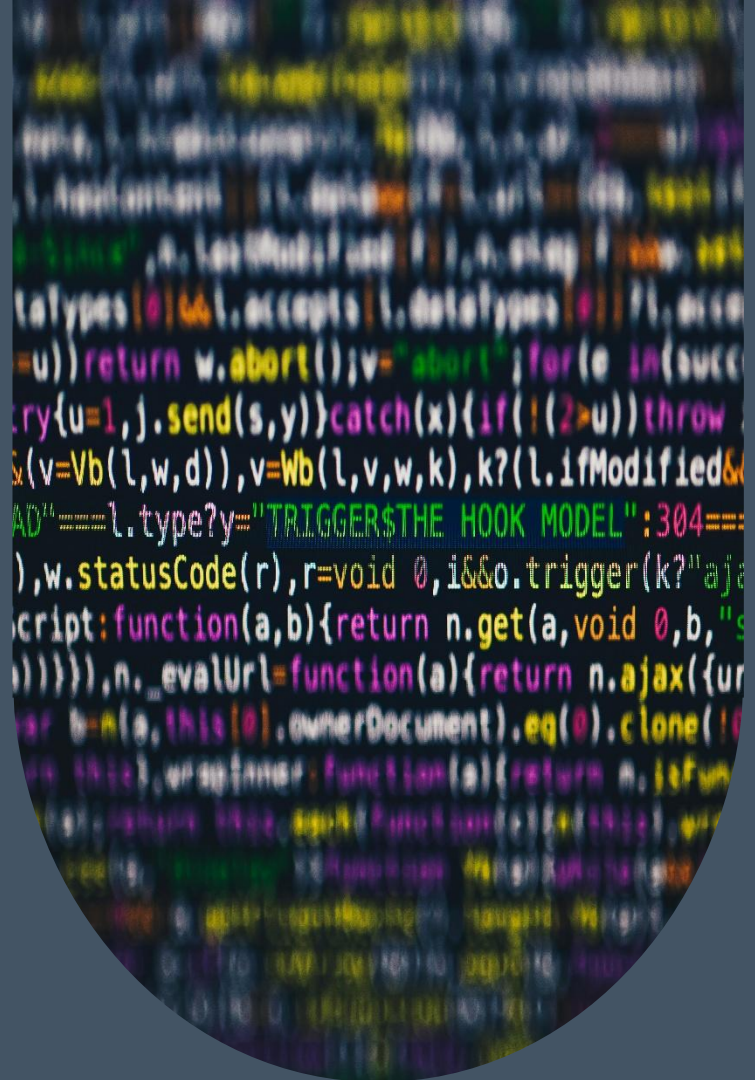
Chapter 3,

Logic Coverage

Determination

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Adapted from
Introduction to Software Testing (Ammann & Offutt)

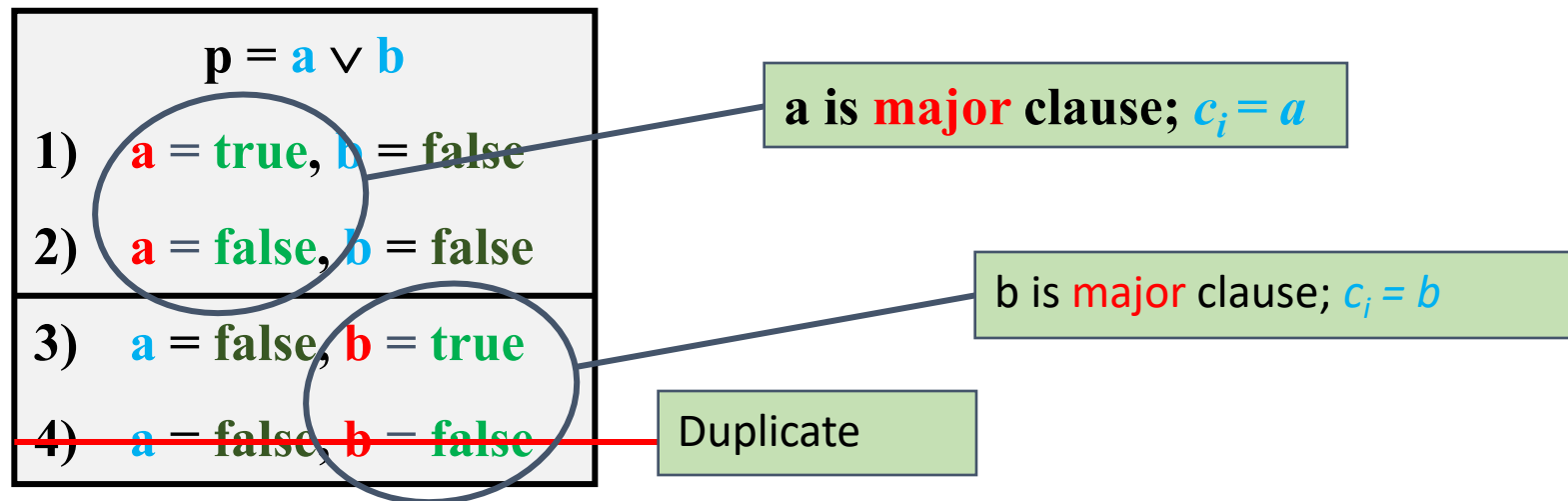


The image features a dark blue background on the right side, where the text is located. On the left side, there are several thick, curved, yellow lines that overlap and create a sense of depth and movement, resembling stylized architectural elements or flowing ribbons.

Lecture 5 summary

Active Clause Coverage

Active Clause Coverage (ACC) : For each p in P and each **major** clause c_i in C_p , choose **minor** clauses c_j , $j \neq i$, so that c_i determines p . **TR** has two requirements for each c_i : c_i evaluates to **true** and c_i evaluates to **false**.



- This is a form of **MCDC** (*Modified Condition/Decision Coverage*), which is required by the FAA for safety critical software
- **Ambiguity** : Do the **minor** clauses have to have the **same values** when the **major** clause is **true** and **false**?

General Active Clause Coverage

General Active Clause Coverage (GACC) : For each p in P and each **major** clause c_i in C_p , choose **minor** clauses $c_j, j \neq i$, so that c_i determines p . **TR** has two requirements for each c_i : c_i evaluates to **true** and c_i evaluates to **false**.

Condition: The values chosen for the **minor** clauses c_j **do not** need to be the same when c_i is **true** as when c_i is **false**, that is,

$c_j(c_i = \text{true}) = c_j(c_i = \text{false})$ for all c_j **OR**

$c_j(c_i = \text{true}) \neq c_j(c_i = \text{false})$ for all c_j

- This is **complicated** !
- It is possible to satisfy **GACC** without satisfying predicate coverage (**PC**) . i.e. $p = a \leftrightarrow b$
- We **really want** to cause predicates to be both **true** and **false** !

Restricted Active Clause Coverage

Restricted Active Clause Coverage (RACC) : For each p in P and each **major** clause c_i in C_p , choose **minor** clauses $c_j, j \neq i$, so that c_i determines p . **TR** has two requirements for each c_i : c_i evaluates to **true** and c_i evaluates to **false**.

*Condition: The values chosen for the **minor** clauses c_j must be the same when c_i is **true** as when c_i is **false**, that is, it is required that $c_j(c_i = \text{true}) = c_j(c_i = \text{false})$ for all c_j .*

- This has been a **common interpretation** by aviation developers
- **RACC** often leads to **infeasible test requirements**
- There is **no logical reason** for such a restriction

Correlated Active Clause Coverage

Correlated Active Clause Coverage (CACC) : For each p in P and each **major** clause c_i in C_p , choose **minor** clauses $c_j, j \neq i$, so that c_i determines p . **TR** has two requirements for each c_i : c_i evaluates to **true** and c_i evaluates to **false**.

Condition: The values chosen for the **minor** clauses c_j **must** cause p to be **true** for one value of the **major** clause c_i and **false** for the other, that is, it is required that $p(c_i = \text{true}) \neq p(c_i = \text{false})$.

- A **more recent** interpretation
- **Implicitly** allows **minor** clauses to have **different values**
- Explicitly satisfies (**subsumes**) predicate coverage (**PC**)

Simple Example #1: GACC, RACC, CACC

	a	b	$p = a \leftrightarrow b$
1	T	T	T
2	T	F	F
3	F	T	F
4	F	F	T

GACC:

Remember: The values chosen for the *minor* clauses c_j *do not* need to be the same when c_i is *true* as when c_i is *false*

GACC for $c_i = a$: $T_{14} = \{TT, FF\}$;

GACC for $c_i = b$: $T_{14} = \{TT, FF\}$,

GACC = $T_{14} \cup T_{14} = \{TT, FF\}$; This satisfies CC but not PC

RACC:

Remember: The values chosen for the *minor* clauses c_j *must be the same* when c_i is *true* as when c_i is *false*

RACC for $c_i = a$: $T_{13} = \{TT, FT\}$

RACC for $c_i = b$: $T_{12} = \{TT, TF\}$

RACC = $T_{13} \cup T_{12} = \{TT, FT, TF\}$; This satisfies CC & PC

CACC:

Remember: The values chosen for the *minor* clauses c_j *must* cause p to be *true* for one value of the *major* clause c_i and *false* for the other

CACC for $c_i = a$: $T_{13} = \{TT, FT\}$;

CACC for $c_i = b$: $T_{12} = \{TT, TF\}$

CACC = $T_{13} \cup T_{12} = \{TT, FT, TF\}$; This satisfies CC & PC

NOTE: For simple predicates, RACC and CACC might be the same. **But**, they sure differ for complex (bigger) predicates

Example #2 : CACC vs. RACC

	a	b	c	$p = a \wedge (b \vee c)$
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F

major clause

CACC can be satisfied by choosing any of rows 1, 2, 3 AND any of rows 5, 6, 7 – a total of nine pairs

TR = any pair of $\{1,2,3\} \times \{5,6,7\}$

	a	b	c	$p = a \wedge (b \vee c)$
1	T	T	T	T
5	F	T	T	F
2	T	T	F	T
6	F	T	F	F
3	T	F	T	T
7	F	F	T	F

major clause

RACC can only be satisfied by one of the three pairs above

TR = any pair of $\{(1,5), (2,6), (3,7)\}$

Example #3 : CACC vs. RACC

Predicate: $(A \wedge B) \vee C$

- For **A** to matter: *B must be TRUE, C must be FALSE*

Because then the decision depends on whether A is true.

- For **B** to matter: *A must be TRUE, C must be FALSE*

- For **C** to matter: *both A and B must be FALSE*

Because then the A & B part is false, and only C can change the outcome.

Active Clause	Minor Clause	Test 1 (TRUE test case)	Test 2 (False test case)
A	B = TRUE, C = FALSE	(A = TRUE, B= TRUE, C= FALSE) $\rightarrow$ p (TRUE)	(A = FALSE, B= TRUE, C= FALSE) $\rightarrow$ p (FALSE)
B	A = TRUE, C = FALSE	(A = TRUE, B= TRUE, C= FALSE) $\rightarrow$ p (TRUE)	(A = TRUE, B= FALSE, C= FALSE) $\rightarrow$ p (FALSE)
C	A = FALSE, B = FALSE	(A = FALSE, B= FALSE, C= TRUE) $\rightarrow$ p (TRUE)	(A = FALSE, B= FALSE, C= FALSE) $\rightarrow$ p (FALSE)

These satisfy both CACC and RACC, but how?

Example #4 : Real-world Payment authorization

An online payment gateway authorizes payment iff:

1. Card is valid (number & expiry & not blocked)
2. Strong authentication passed (not blocked) ,
3. And either **risk is low** or **manual override** flag is set by operations.

Let the clauses be:

C1 : cardValid

C2: authPassed

C3: riskLow (e.g. riskScore < 75)

C4: override (manual flag) – usually overridden for small purchases or frequent purchases with the same vendor etc.

Predicate: (**c1** $\wedge$ **c2**) $\wedge$ (**c3** $\vee$ **c4**) $\xrightarrow{\text{TRUE}}$ Payment approved

Example #4 : Real-world Payment authorization

C1 : cardValid

C2: authPassed

C3: riskLow (e.g. riskScore < 75)

C4: override (manual flag)

Predicate: $(c1 \wedge c2) \wedge (c3 \vee c4)$ $\xrightarrow{\text{TRUE}}$ Payment approved

Predicate Coverage (required predicate to be TRUE and FALSE at least once)

Test 1 (**True** case): $(c1, c2, c3, c4) = (T, T, T, F) \rightarrow \text{approve (True)}$

Test 2 (**False** case): $(c1, c2, c3, c4) = (F, F, F, F) \rightarrow \text{approve (False)}$

Clause Coverage (requires the clause to flip across set)

Test 1 (**True** case): $(c1, c2, c3, c4) = (T, T, T, F) \rightarrow \text{approve (True)}$

Test 2 (**False** case): $(c1, c2, c3, c4) = (F, T, T, F) \rightarrow \text{approve (False)}$

Test 1 (**True** case): $(c1, c2, c3, c4) = (T, T, T, F) \rightarrow \text{approve (True)}$

Test 2 (**False** case): $(c1, c2, c3, c4) = (T, F, T, F) \rightarrow \text{approve (False)}$

Test 1 (**True** case): $(c1, c2, c3, c4) = (T, T, T, F) \rightarrow \text{approve (True)}$

Test 2 (**False** case): $(c1, c2, c3, c4) = (T, T, F, F) \rightarrow \text{approve (False)}$

Test 1 (**True** case): $(c1, c2, c3, c4) = (T, T, F, T) \rightarrow \text{approve (True)}$

Test 2 (**False** case): $(c1, c2, c3, c4) = (T, T, F, F) \rightarrow \text{approve (False)}$

Example #4 : Real-world Payment authorization

Predicate: ($c1 \wedge c2$) $\wedge$ ($c3 \vee c4$) $\xrightarrow{\text{TRUE}}$ Payment approved

Now determining Active Clauses

Active Clause	Minor Clause	Minor Clause	Minor Clause	Predicate
C1	C2 = TRUE	C3 = FALSE	C4 = TRUE	TRUE
C2	C1 = TRUE	C3 = FALSE	C4 = TRUE	TRUE
C3	C1 = TRUE	C2 = TRUE	C4 = FALSE	TRUE
C4	C1 = TRUE	C2 = TRUE	C3 = FALSE	TRUE

Example #4 : Real-world Payment authorization

Predicate: $(c1 \wedge c2) \wedge (c3 \vee c4)$ $\xrightarrow{\text{TRUE}}$ Payment approved

GACC Pairs (where minor clauses *may* differ)

C1 major (fix $c2 = \text{TRUE}$), make right TRUE via **override flag c4**
 $(T, T, -, T) \text{ Vs } (F, T, -, T) \rightarrow p \text{ flips}$

C2 major (fix $c1 = \text{TRUE}$), make right TRUE via **override flag c4**
 $(T, T, -, T) \text{ Vs } (T, F, -, T) \rightarrow p \text{ flips}$

C3 major (fix $c1, c2 = \text{TRUE}$), now right side is handled by $c3$, so set $c4 = \text{FALSE}$
 $(T, T, T, F) \text{ Vs } (T, T, F, F) \rightarrow p \text{ flips}$

C4 major (fix $c1, c2 = \text{TRUE}$), now right side is handled by $c4$, so set $c3 = \text{FALSE}$
 $(T, T, F, T) \text{ Vs } (T, T, F, F) \rightarrow p \text{ flips}$

Example #4 : Real-world Payment authorization

Predicate: $(c1 \wedge c2) \wedge (c3 \vee c4)$ $\xrightarrow{\text{TRUE}}$ Payment approved

RACC Pairs (where minor clauses *are identical*)

C1 major (fix $c2 = \text{TRUE}$), make right TRUE via **override flag c4**
 $(T, T, *, T) \text{ Vs } (F, T, *, T) \rightarrow p \text{ flips}$

C2 major (fix $c1 = \text{TRUE}$), make right TRUE via **override flag c4**
 $(T, T, *, T) \text{ Vs } (T, F, *, T) \rightarrow p \text{ flips}$

C3 major (fix $c1, c2 = \text{TRUE}$), now right side is handled by $c3$, so set $c4 = \text{FALSE}$
 $(T, T, T, F) \text{ Vs } (T, T, F, F) \rightarrow p \text{ flips}$

C4 major (fix $c1, c2 = \text{TRUE}$), now right side is handled by $c4$, so set $c3 = \text{FALSE}$
 $(T, T, F, T) \text{ Vs } (T, T, F, F) \rightarrow p \text{ flips}$

Bonus Points (+3) – Can we also call this CACC, if so, why?

Logic Coverage Summary

Coverage Type	Ensures	Goals	Remarks
PC	Predicate is TRUE & FALSE	Very coarse	May miss logic errors
CC	Each clause TRUE & FALSE	Better	Doesn't ensure influence
GACC	Each clause determines predicate (loosely)	Easy to achieve	Others can vary
CACC	Clause determines predicate, result changes	Best practical coverage	Used in MC/DC
RACC	Only major clause changes	Very strict	Sometimes infeasible

The image features a dark blue background on the right side, where the title is located. On the left side, there are several thick, curved, yellow lines that overlap each other, creating a sense of depth and movement. These lines are smooth and have a slight gradient, with some appearing brighter than others.

Calculating Determination

Calculating Determination

- We have established that **major clauses** impact **predicates** (TRUE / FALSE).
- We have also seen how to set **minor clause** values for different coverage conditions (some will affect predicate, others won't).
- Finding values for minor clauses is easy for simple predicates, but can be very difficult for complex problems.
- Therefore, a **Definitional** approach (based on algebra) is used for calculating determinants.

$P_c = \text{true} \rightarrow$ is predicate ***p*** with every occurrence of clause ***c*** replaced by **true**

- $P_c = \text{false} \rightarrow$ is predicate ***p*** with every occurrence of clause ***c*** replaced by **false**
- To find values for minor clauses, $p_c = p_{c=\text{true}} \text{ XOR } p_{c=\text{false}}$

Determination Example 1

- Consider $p = a \vee b$
- $P_a = p_a = \text{true} \oplus p_a = \text{false}$
- $P_a = (\text{true} \vee b) \oplus (\text{false} \vee b)$
- $P_a = \text{true} \oplus b$
- $P_a = \neg b$

Since XOR will only give output when both of its inputs are different. So, a and b values must be opposite.

Thus **a** determines **p** when **b = false**

Domination Identity used: $(T \vee x) = T$; Identity $(F \vee x) = x$.

Determination Example 2

- Consider $p = a \wedge b$
- $P_a = p_a = \text{true} \oplus p_a = \text{false}$
- $P_a = (\text{true} \wedge b) \oplus (\text{false} \wedge b)$
- $P_a = b \oplus \text{false}$
- $P_a = b$

In this case, XOR is already satisfied ,
as we have a true on left hand side
and false on the right hand side of
XOR.

Thus ***a*** determines ***p*** when ***b = true***

Domination Identity used: $(T \vee x) = T$; *Identity* $(F \vee x) = x$.

Determination Example 3

- Consider $p = a \vee (b \wedge c)$
- $P_a = p_a = \text{true} \oplus p_a = \text{false}$
- $P_a = (\text{true} \vee (b \wedge c)) \oplus (\text{false} \vee (b \wedge c))$
- $P_a = \text{true} \oplus b \wedge c$
- $P_a = \neg (b \wedge c)$
- $P_a = \neg b \vee \neg c$ —→ De Morgan's Law used.

Thus **a** determines **p** when **b = false** or **c=false**

Domination Identity used: $(T \vee x) = T$; Identity $(F \vee x) = x$.

Tabular Method for Determination

Row	a	b	c	$a \vee (b \wedge c)$	P_a	P_b	P_c
1	T	T	T	T			
2	T	T	F	T			
3	T	F	T	T			
4	T	F	F	T			
5	F	T	T	T			
6	F	T	F	F			
7	F	F	T	F			
8	F	F	F	F			

Tabular Method for Determination

Row	a	b	c	$a \vee (b \wedge c)$	P_a	P_b	P_c
1	T	T	T	T			
2	T	T	F	T	✓		
3	T	F	T	T			
4	T	F	F	T			
5	F	T	T	T			
6	F	T	F	F	✓		
7	F	F	T	F			
8	F	F	F	F			

Select **a** as the major clause, then choose values for minor clauses **b** and **c** such that changing only **a** changes **p** , thus **a** determines **p**

Tabular Method for Determination

Row	a	b	c	$a \vee (b \wedge c)$	P_a	P_b	P_c
1	T	T	T	T			
2	T	T	F	T	✓		
3	T	F	T	T	✓		
4	T	F	F	T			
5	F	T	T	T			
6	F	T	F	F	✓		
7	F	F	T	F	✓		
8	F	F	F	F			

Select **a** as the major clause, then choose values for minor clauses **b** and **c** such that changing only **a** changes **p** , thus **a** determines **p**

Tabular Method for Determination

Row	a	b	c	$a \vee (b \wedge c)$	P_a	P_b	P_c
1	T	T	T	T			
2	T	T	F	T	✓		
3	T	F	T	T	✓		
4	T	F	F	T	✓		
5	F	T	T	T			
6	F	T	F	F	✓		
7	F	F	T	F	✓		
8	F	F	F	F	✓		

Select **a** as the major clause, then choose values for minor clauses **b** and **c** such that changing only **a** changes **p**, thus **a** determines **p**

Tabular Method for Determination

Row	a	b	c	$a \vee (b \wedge c)$	P_a	P_b	P_c
1	T	T	T	T			
2	T	T	F	T	✓		
3	T	F	T	T	✓		
4	T	F	F	T	✓		
5	F	T	T	T		✓	
6	F	T	F	F	✓		
7	F	F	T	F	✓	✓	
8	F	F	F	F	✓		

Select ***b*** as the major clause, then choose values for minor clauses ***a*** and ***c*** such that changing only ***b*** changes ***p***, thus ***b*** determines ***p***

Tabular Method for Determination

Row	a	b	c	$a \vee (b \wedge c)$	P_a	P_b	P_c
1	T	T	T	T			
2	T	T	F	T	✓		
3	T	F	T	T	✓		
4	T	F	F	T	✓		
5	F	T	T	T		✓	✓
6	F	T	F	F	✓		✓
7	F	F	T	F	✓	✓	
8	F	F	F	F	✓		

Select **c** as the major clause, then choose values for minor clauses **a** and **b** such that changing only **c** changes **p**, thus **c** determines **p**

Determination Example 4

- Consider $\mathbf{p} = (a \wedge b) \vee (\neg a \wedge \neg b \wedge c)$
- $P_a = p_a = \text{true} \oplus p_a = \text{false}$
- $P_a = (\text{true} \wedge \mathbf{b}) \vee (\neg \text{true} \wedge \neg b \wedge c) \oplus (\text{false} \wedge \mathbf{b}) \vee (\neg \text{false} \wedge \neg b \wedge c)$
- $P_a = b \vee (\text{false} \wedge \neg b \wedge c) \oplus \text{false} \vee (\text{true} \wedge \neg b \wedge c)$
- $P_a = \mathbf{b} \oplus \neg b \wedge c$
- $P_a = b \vee c$

Domination Identity used: $(T \vee x) = T$; Identity $(F \vee x) = x$.

Identity Proof

$$\begin{aligned}
 b \oplus (\neg b \wedge c) &= (b \wedge \neg(\neg b \wedge c)) \vee (\neg b \wedge (\neg b \wedge c)) \quad (\text{XOR expansion}) \\
 &= (b \wedge (b \vee \neg c)) \vee (\neg b \wedge c) \quad (\text{De Morgan, idempotence}) \\
 &= b \vee (\neg b \wedge c) \quad (\text{absorption: } x \wedge (x \vee y) = x) \\
 &= (b \vee \neg b) \wedge (b \vee c) = T \wedge (b \vee c) = b \vee c \quad (\text{distributivity, complement, identity}).
 \end{aligned}$$

Tabular Method for Determination

In this example ***a*** is considered as the major clause. The task is to determine all the conditions for the ***minor clauses*** where major clause determines the predicate

Row	a	b	c	$p = (a \wedge b) \vee (\neg a \wedge \neg b \wedge c)$	P_a
1	T	T	T	T	✓
2	T	T	F	T	
3	T	F	T	F	
4	T	F	F	F	
5	F	T	T	F	✓
6	F	T	F	F	
7	F	F	T	T	
8	F	F	F	F	

Select inputs such that ***a*** changes, ***b*** and ***c*** do not change, and ***p*** changes. Thus ***a*** determines ***p*** when ***b*** $\wedge$ ***c***

We can also identify the pair as (1,5)

Tabular Method for Determination

In this example **a** is considered as the major clause. The task is to determine all the conditions for the **minor clauses** where major clause determines the predicate

Row	a	b	c	$p = (a \wedge b) \vee (\neg a \wedge \neg b \wedge c)$	P_a
1	T	T	T	T	✓
2	T	T	F	T	✓
3	T	F	T	F	
4	T	F	F	F	
5	F	T	T	F	✓
6	F	T	F	F	✓
7	F	F	T	T	
8	F	F	F	F	

Select inputs such that **a** changes, **b** and **c** do not change, and **p** changes. Thus **a** determines **p** when $b \wedge \neg c$

We can also identify the pair as (2,6)

Tabular Method for Determination

In this example ***a*** is considered as the major clause. The task is to determine all the conditions for the ***minor clauses*** where major clause determines the predicate

Row	a	b	c	$p = (a \wedge b) \vee (\neg a \wedge \neg b \wedge c)$	P_a
1	T	T	T	T	✓
2	T	T	F	T	✓
3	T	F	T	F	✓
4	T	F	F	F	
5	F	T	T	F	✓
6	F	T	F	F	✓
7	F	F	T	T	✓
8	F	F	F	F	

Select inputs such that ***a*** changes, ***b*** and ***c*** do not change, and ***p*** changes. Thus ***a*** determines ***p*** when $\neg b \wedge c$

We can also identify the pair as (3,7)

Tabular Method for Determination

In this example ***a*** is considered as the major clause. The task is to determine all the conditions for the ***minor clauses*** where major clause determines the predicate

Row	a	b	c	$p = (a \wedge b) \vee (\neg a \wedge \neg b \wedge c)$	P_a
1	T	T	T	T	✓
2	T	T	F	T	✓
3	T	F	T	F	✓
4	T	F	F	F	
5	F	T	T	F	✓
6	F	T	F	F	✓
7	F	F	T	T	✓
8	F	F	F	F	

Select inputs such that ***a*** changes, ***b*** and ***c*** do not change, but ***p*** DOES NOT change. Thus ***a*** DOES NOT determine ***p*** when $\neg b \wedge \neg c$

Notice the predicate output DOES NOT flips

Tabular Method for Determination

In this example **a** is considered as the major clause. The task is to determine all the conditions for the **minor clauses** where major clause determines the predicate

- For GACC, select a pair of conditions (test cases) where the value of major clause changes (the value of minor clause and **p** may or may not change)

Row	a	b	c	$p = (a \wedge b) \vee (\neg a \wedge \neg b \wedge c)$	P_a
1	T	T	T	T	✓
2	T	T	F	T	✓
3	T	F	T	F	✓
4	T	F	F	F	
5	F	T	T	F	✓
6	F	T	F	F	✓
7	F	F	T	T	✓
8	F	F	F	F	

GACC Pairs:
(1,5) or (1,6) or (1,7)
(2,5) or (2,6) or (2,7)
(3,5) or (3,6) or (3,7)
because p may or
may change

Active Clause Coverage Criteria Summary

Criterion	Major clause determines <i>p</i>	Major clause changes <i>value</i>	<i>Change</i> major clause changes <i>p</i>	Minor clauses are held the <i>same</i>
GACC	✓	✓		
CACC	✓	✓	✓	
RACC	✓	✓	✓	✓

Tabular Method for Determination

In this example ***a*** is considered as the major clause. The task is to determine all the conditions for the ***minor clauses*** where major clause determines the predicate

- For CACC, select a pair of conditions (test cases) where the value of major clause changes and the value of ***p*** changes (the value of minor clause may or may not change)

Row	a	b	c	$p = (a \wedge b) \vee (\neg a \wedge \neg b \wedge c)$	P_a
1	T	T	T	T	✓
2	T	T	F	T	✓
3	T	F	T	F	✓
4	T	F	F	F	
5	F	T	T	F	✓
6	F	T	F	F	✓
7	F	F	T	T	✓
8	F	F	F	F	

CACC Pairs:
 (1,5) or (1,6)
 (2,5) or (2,6) or (2,7)
 (3,5) or (3,6) or (3,7)
 but not (3,5) or (3,6)
 because the value of ***p*** DOES NOT change

Active Clause Coverage Criteria Summary

Criterion	Major clause determines <i>p</i>	Major clause changes <i>value</i>	<i>Change</i> major clause changes <i>p</i>	Minor clauses are held the <i>same</i>
GACC	✓	✓		
CACC	✓	✓	✓	
RACC	✓	✓	✓	✓

Tabular Method for Determination

In this example ***a*** is considered as the major clause. The task is to determine all the conditions for the ***minor clauses*** where major clause determines the predicate

- For RACC, select a pair of conditions (test cases) where the value of major clause changes and the value of ***p*** changes (and the value of minor clause are held constant)

Row	a	b	c	$p = (a \wedge b) \vee (\neg a \wedge \neg b \wedge c)$	P_a
1	T	T	T	T	✓
2	T	T	F	T	✓
3	T	F	T	F	✓
4	T	F	F	F	
5	F	T	T	F	✓
6	F	T	F	F	✓
7	F	F	T	T	✓
8	F	F	F	F	

RACC Pairs:
(1,5) or (2,6) or (3,7)

Active Clause Coverage Criteria Summary

Criterion	Major clause determines <i>p</i>	Major clause changes <i>value</i>	<i>Change</i> major clause changes <i>p</i>	Minor clauses are held the <i>same</i>
GACC	✓	✓		
CACC	✓	✓	✓	
RACC	✓	✓	✓	✓

Inactive Clause Coverage

It is literally taking the ***opposite approach*** where ***major clauses do not affect the predicates***

Why Bother? Sometimes it is useful for testing safety interlock systems (for example, electric grid, reactors, industries with chemical reactions) to ensure that during certain circumstances a control variable ***does not*** have any effect on operation.

DEFINITION

Inactive Clause Coverage (ICC) – For each p in P and each major clause c_i in C_p , choose minor clauses c_j ($j \neq i$) such that c_j *does not* determine p . **TR** has four requirements for c_j : (1) c_j evaluates to true with p true, (2) c_j evaluates to false with p true, (3) c_j evaluates to true with p false, and (4) c_j evaluates to false with p false.

Types of Inactive Clause Coverage

DEFINITION

General Inactive Clause Coverage (GICC) – For each p in P and each major clause c_i in C_p , choose minor clauses c_j ($j \neq i$) such that c_j *does not* determine p . The values chosen for minor clauses c_j *do not* need to be the same when c_i is true as when c_i is false.

DEFINITION

Restricted Inactive Clause Coverage (RICC) – For each p in P and each major clause c_i in C_p , choose minor clauses c_j ($j \neq i$) such that c_j *does not* determine p . The values chosen for minor clauses c_j *must be* the same when c_i is true as when c_i is false.

Tabular Method for Determination

In this example **c** is considered as the major clause.

- For GICC, select a pair of conditions (test cases) where the major clause DOES NOT determine **p**, the value of the major clause changes, and the value of **p** DOES NOT change

Row	a	b	c	$p = (a \wedge b) \vee (\neg a \wedge \neg b \wedge c)$	P_c
1	T	T	T	T	
2	T	T	F	T	
3	T	F	T	F	
4	T	F	F	F	
5	F	T	T	F	
6	F	T	F	F	
7	F	F	T	T	✓
8	F	F	F	F	✓

GICC Pairs:
(1,2) or (3,4)
(3,6) or (5,4)
(5,6)

But because we want to choose ICC, we will skip (7,8) as those are ACC

✓ Active coverage when **c** is chosen as major clause, because it affects predicate **p**

Tabular Method for Determination

In this example **c** is considered as the major clause.

- For RICC, select a pair of conditions (test cases) where the major clause DOES NOT determine **p**, the value of the major clause changes, and the value of **p** DOES NOT change, and the minor clauses are the same.

Row	a	b	c	$p = (a \wedge b) \vee (\neg a \wedge \neg b \wedge c)$	P_c
1	T	T	T	T	
2	T	T	F	T	
3	T	F	T	F	
4	T	F	F	F	
5	F	T	T	F	
6	F	T	F	F	
7	F	F	T	T	✓
8	F	F	F	F	✓

RICC Pairs:
(1,2) or (3,4)
or
(5,6)

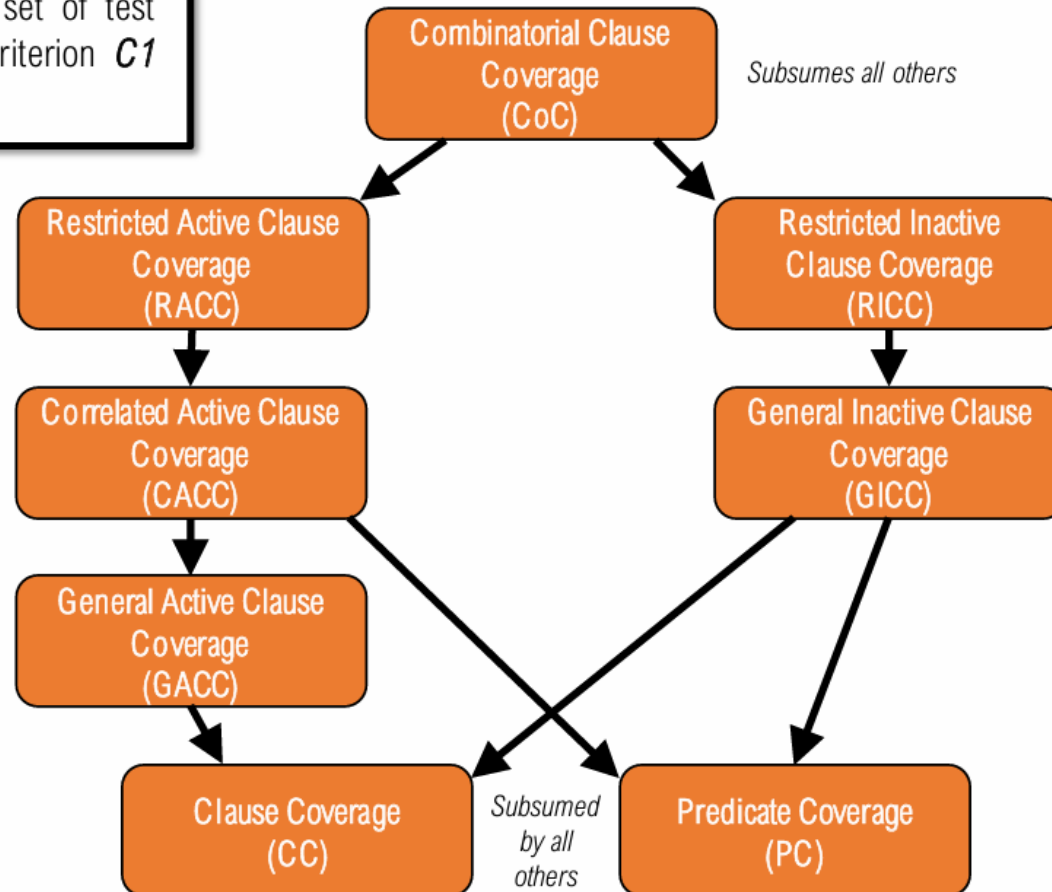
But because we
want to choose ICC,
we will skip (7,8) as
those are ACC

✓ Active coverage when **c** is chosen as major clause, because it affects predicate **p**

Logic Criteria Subsumption

DEFINITION

A test criterion **C1** **subsumes** **C2** if and only if every set of test cases that satisfies criterion **C1** also satisfies **C2**





Game Level – Logic Coverage Example

Scenario

- Player can use Dash if: in arena, not stunned, and (enough stamina OR has power-up).
- Game-master override can grant Dash regardless of other conditions.
- We use this to show major/minor clauses and determination.

Decision and Clauses

- Decision under test: *canUseDash*
- Clauses:
- C1: inArena (must be true)
- C2: notStunned (must be true)
- C3: (stamina $\geq$ need) OR
hasPowerup
- C4: gmOverride (bypass)

Clause Map

Label	Variable(s)	Meaning	Typical role
C1	inArena	Player is in gameplay scene	Minor
C2	notStunned	Player can act	Minor
C3	stamina>=need hasPowerup	Resource requirement satisfied	Major (focus)
C4	gmOverride	Bypass authorization	Minor/Major (alternate)

C++ (1/3): State and constants

```
struct PlayerState {  
    bool inArena;           // C1  
    bool notStunned;       // C2  
    int  stamina;          // used with staminaNeeded  
    bool hasPowerup;        // part of C3  
    bool gmOverride;       // C4  
};  
static const int staminaNeeded = 25;
```

C++ (2/3): Decision under test

```
bool canUseDash(const PlayerState& s) {  
    bool c1 = s.inArena;  
    bool c2 = s.notStunned;  
    bool c3 = (s.stamina >= staminaNeeded) || s.hasPowerup;  
    bool c4 = s.gmOverride;  
    return ((c1 && c2) && c3) || c4;  
}
```


C++ (3/3): Test harness

// Pair A: Make C3 the major by fixing the minors

```
PlayerState minorsFixed{true,true,0,false,false}; // C1=T, C2=T, C4=F
```

```
PlayerState A1 = minorsFixed; // c3=F -> expect false
```

```
PlayerState A2 = minorsFixed; A2.stamina=25; // c3=T -> expect true
```

// Pair B: Make C4 the major by forcing left side false

```
PlayerState leftFalse{true,false,0,false,false}; // C2=F ⇒ left side = F
```

```
PlayerState B1 = leftFalse; B1.gmOverride=false; // expect false
```

```
PlayerState B2 = leftFalse; B2.gmOverride=true; // expect true
```

How a tester approaches this

- Identify the decision and enumerate clauses.
- Pick a major; set minors supportive and fixed.
- Flip only the major; the outcome should flip (determination).
- Test another major under conditions that make others inert.
- Add an inactive check for a clause that should not matter in a mode.

Active clause demo: C3 determines

Case	C1 inArena	C2 notStunned	stamina	hasPowerup	C4 override	Expected
A1	T	T	0	F	F	FALSE
A2	T	T	25	F	F	TRUE

Active clause demo: C4 determines

Case	C1 inArena	C2 notStunned	stamina	hasPowerup	C4 override	Expected
B1	T	F	0	F	F	FALSE
B2	T	F	0	F	T	TRUE

Inactive check: stamina is inert when hasPowerup = TRUE

Case	C1	C2	stamina	hasPowerup	C4	Expected
I1	T	T	0	T	F	TRUE
I2	T	T	25	T	F	TRUE

Common bug patterns to watch

- Wrong grouping/precedence; missing parentheses.
- Bitwise `&/` instead of logical `&&`.
- Threshold error: `>=` vs `>`
- Forgotten reset: `gmOverride` remains true.
- Short-circuit surprises with side-effecting calls.

Exercise

- Exercise: make hasPowerup the major; find a two-test flip pair.
- Exercise: find minors that make inArena inactive and show both outcomes.

To be submitted on Moodle before 11 November 2025